

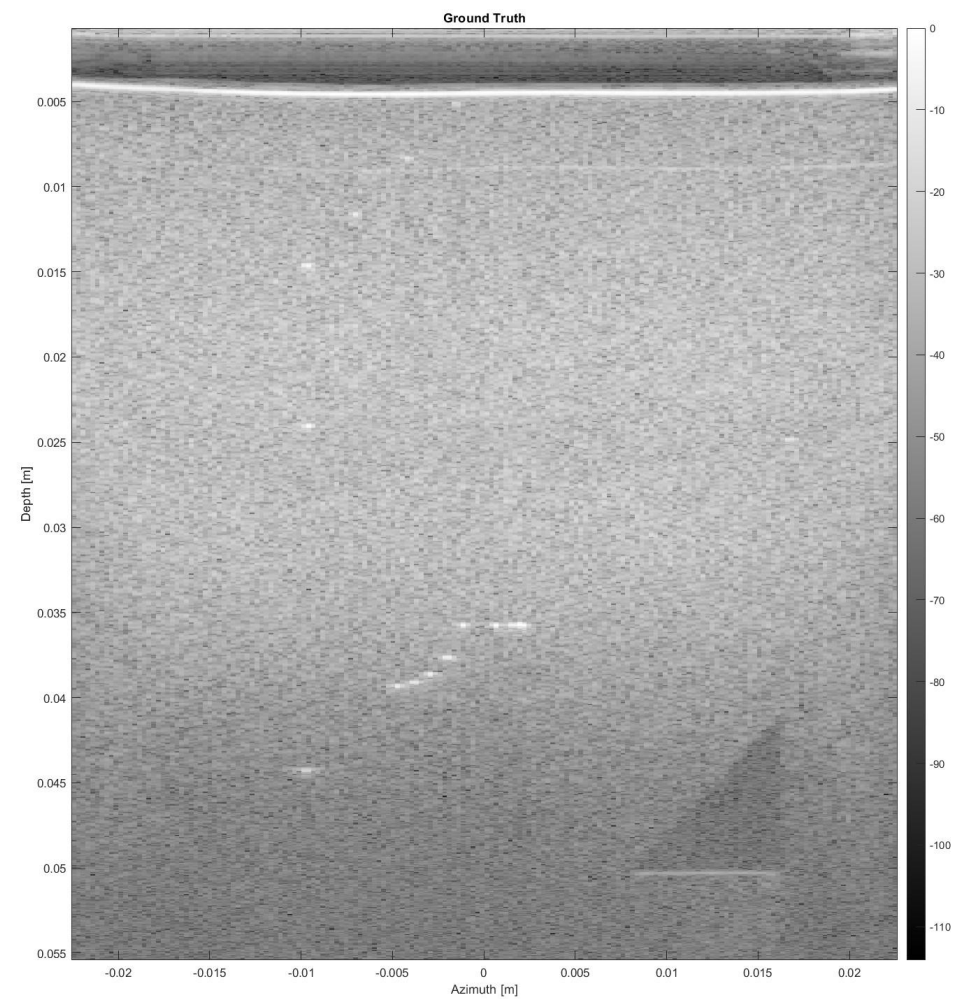
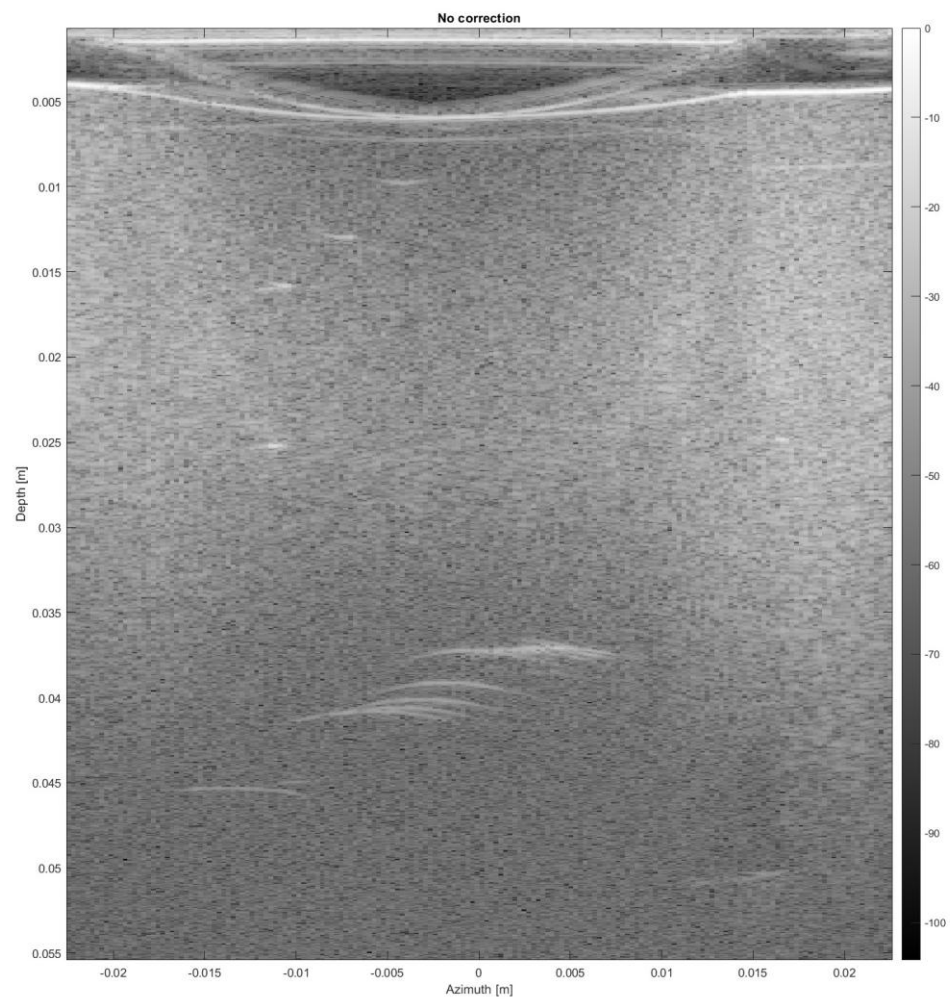
- Single
- ✓ BPD
- ✓ FL
- AFI

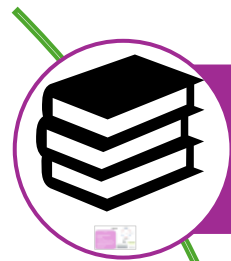


Ultraschallbilder

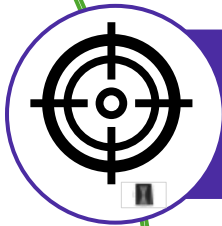
- Fetal Heart
- Report
- WorkSheet
- Graph

BPD 61.3mm 24w3d FL 40.8mm 23w1d

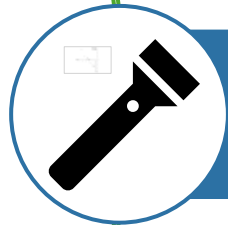




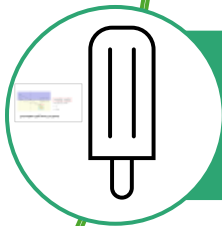
Theorie



Fokussieren



Life Ultraschall + Widerstand



Snell'sche Gesetz + Beispiel

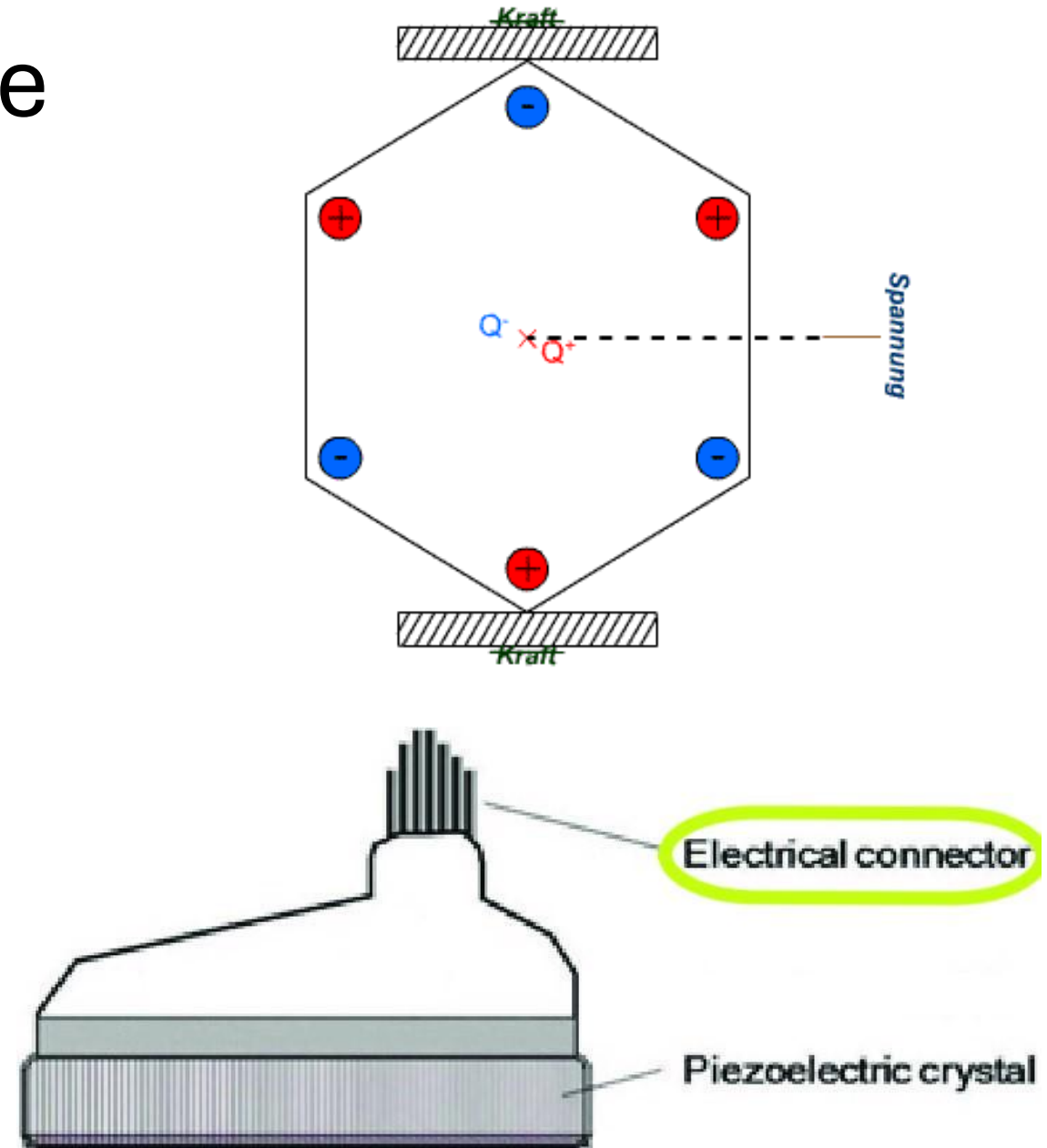


Bisection + Newton

Theorie

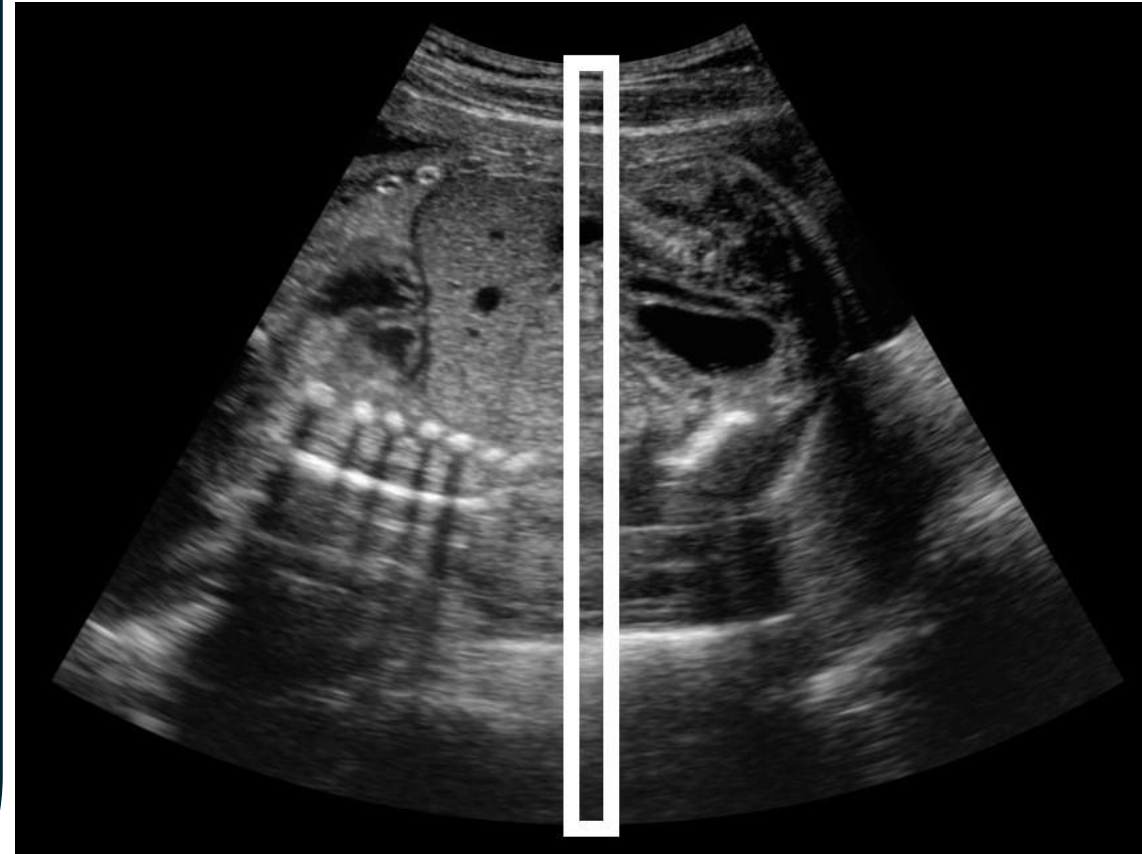
Aufbau

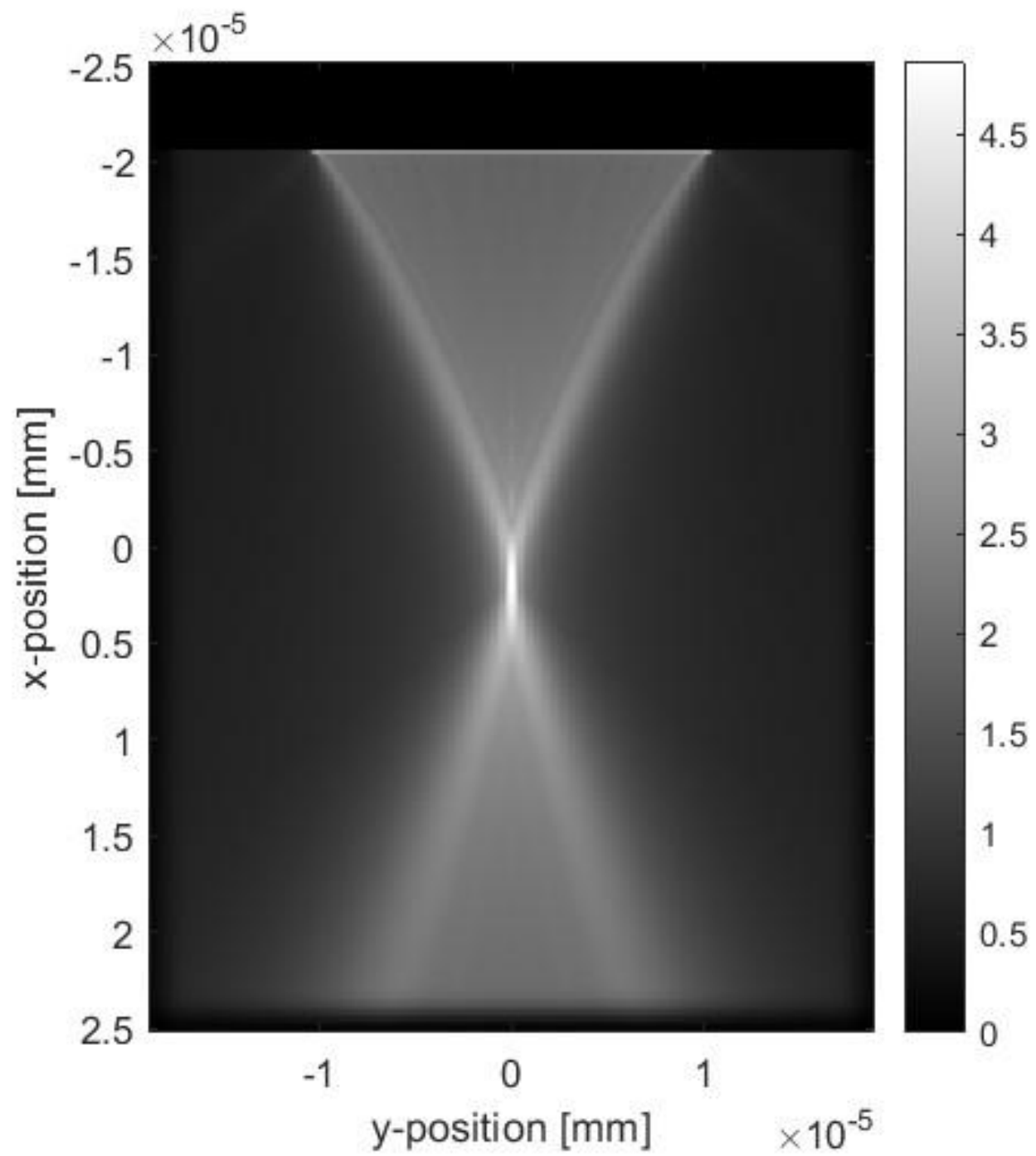
- 200 Piezoelektrische Kristalle
 - 5 pro mm
 - Ladung ungleich verteilt
 - Kristalle sind Bidirektional
- Transducer-Abdeckung → viele Schichten
- Viele Drähte

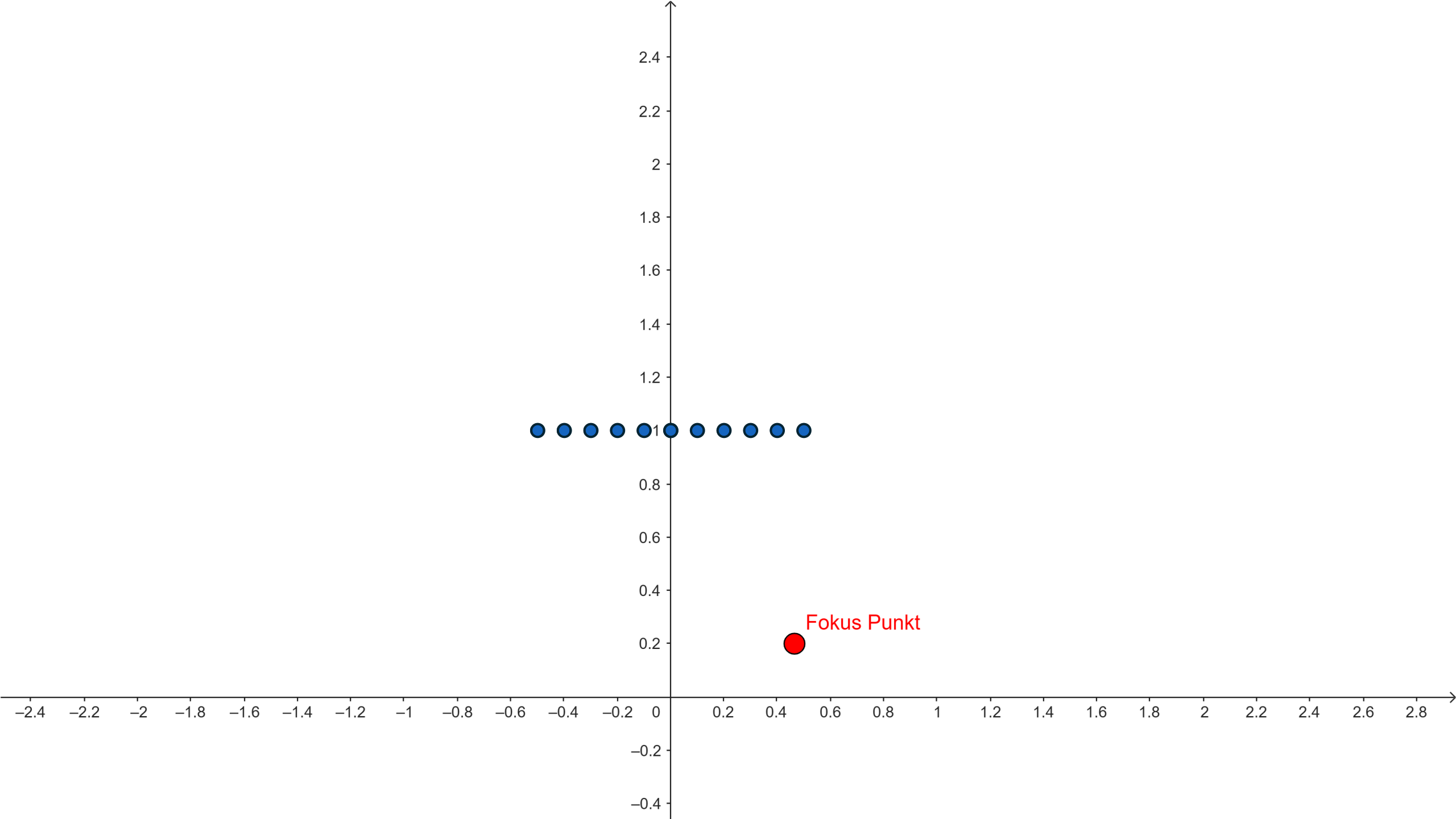


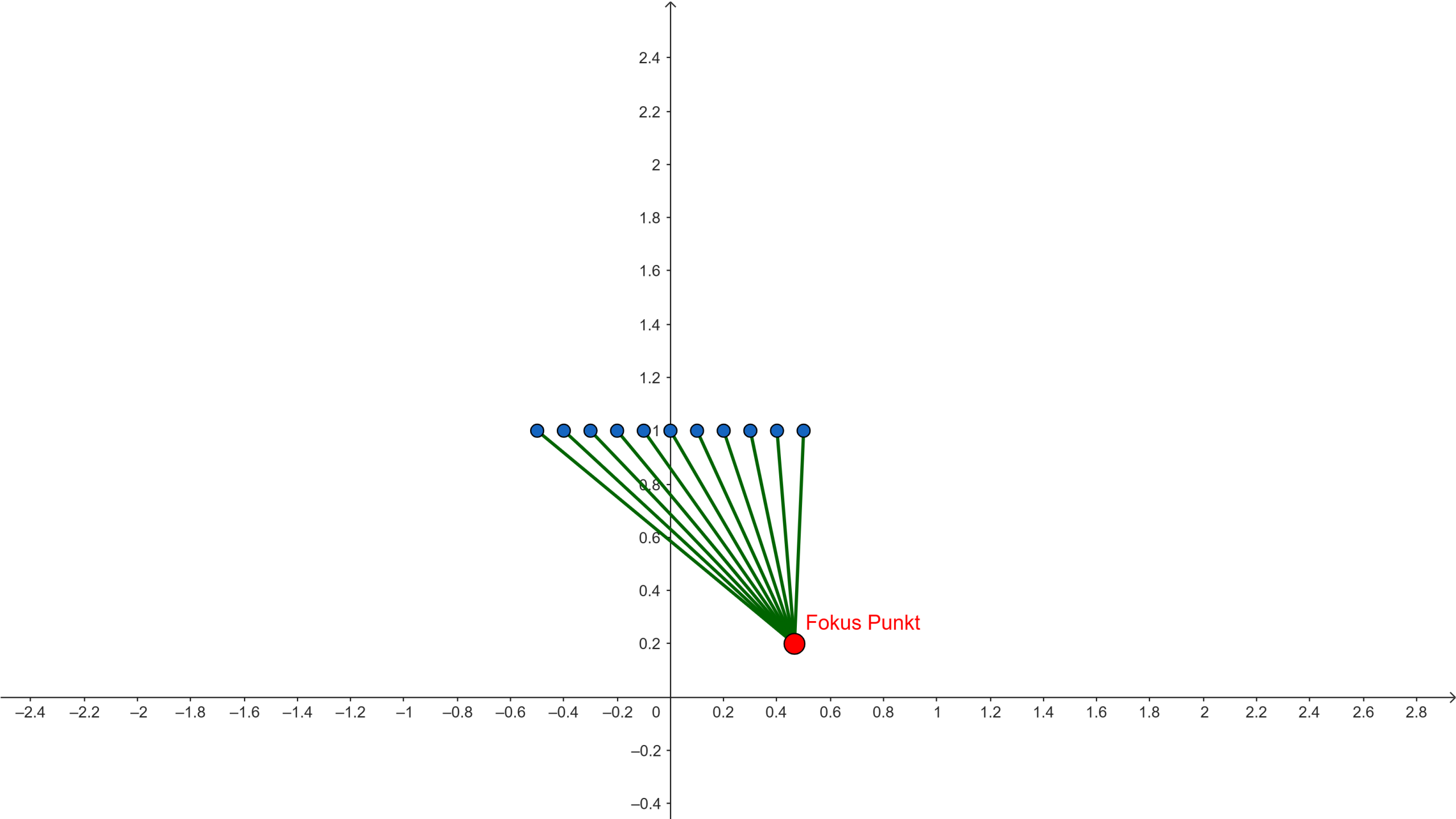
Entstehung

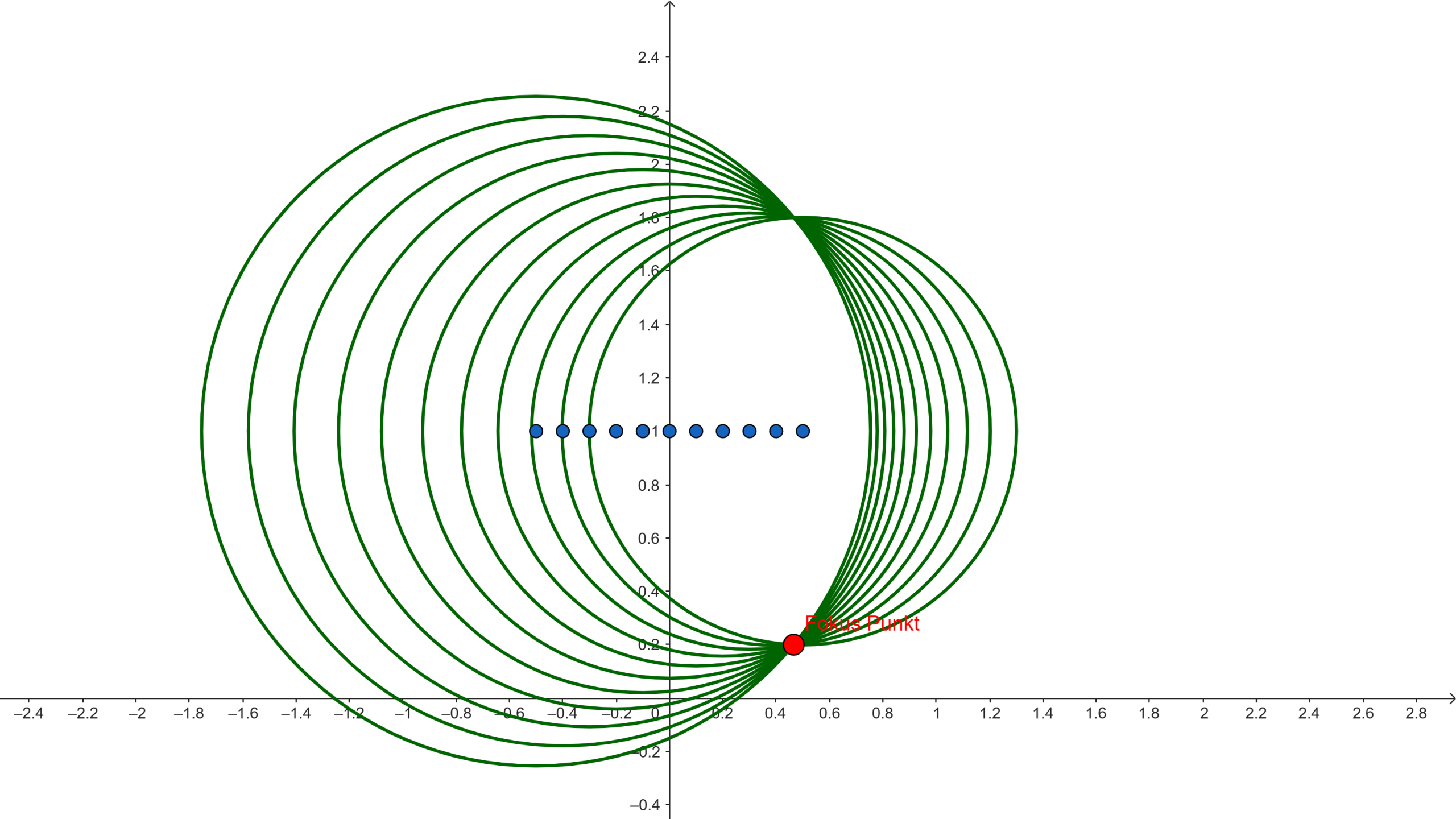
- Bild in **Streifen** unterteilt
 - Pro Streifen ein **Fokuspunkt**
- Kristalle senden **kreisförmige Schallwellen** aus
- Wellen werden **reflektiert**
- Kristalle **empfangen** reflektierte Wellen
- Schallwellen werden zum Teil wieder zurückreflektiert

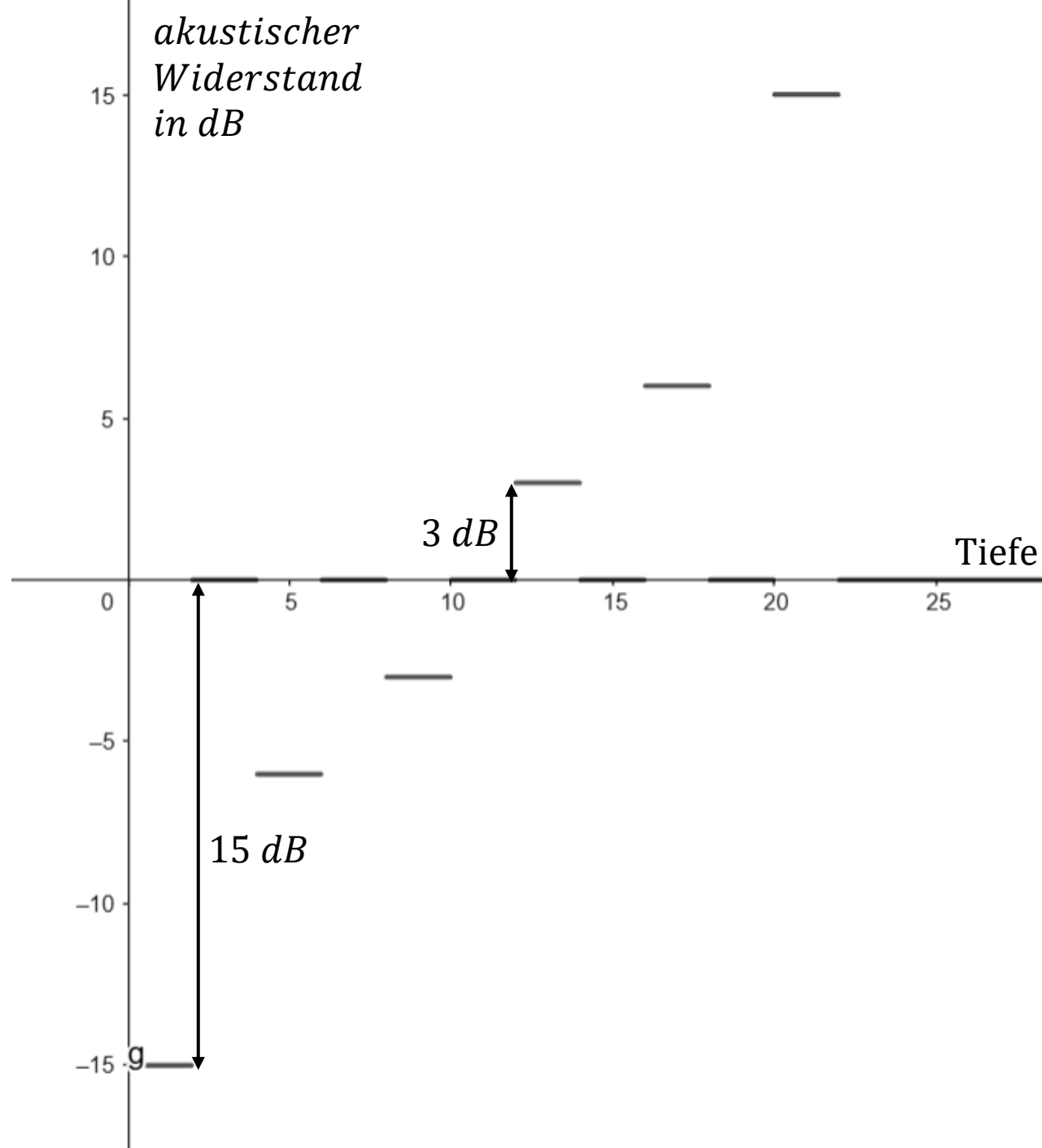












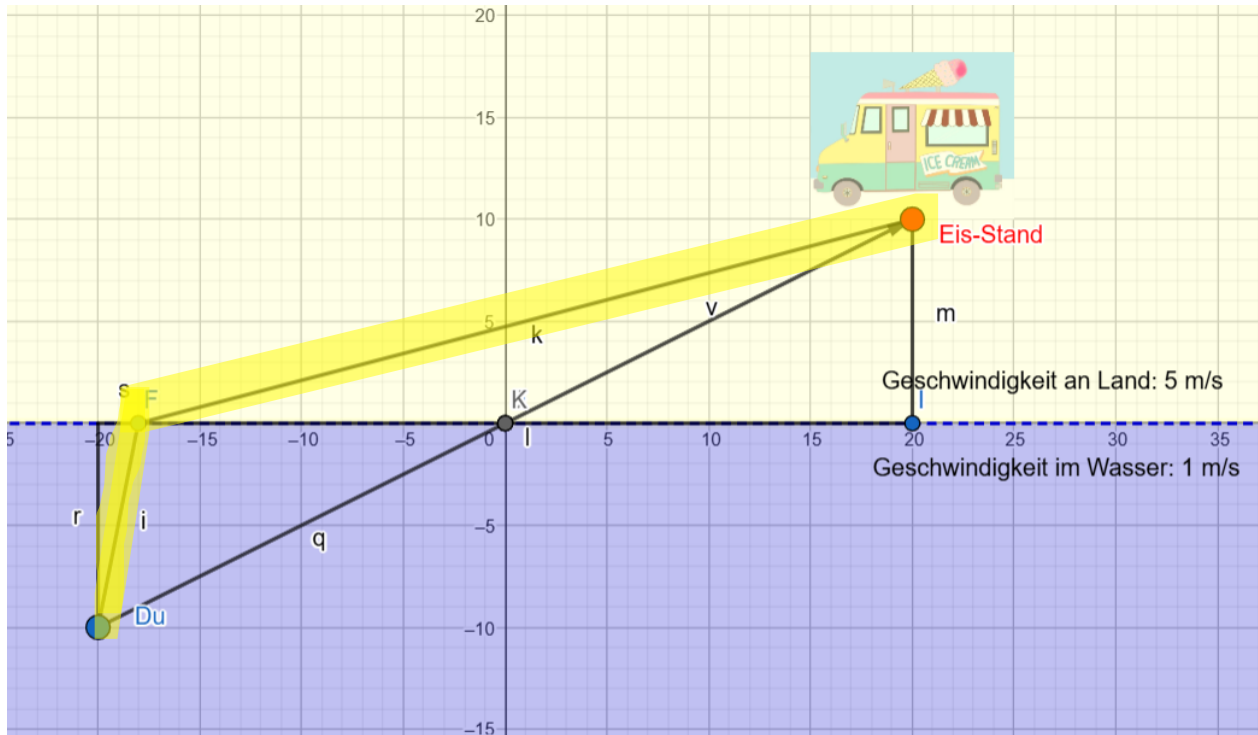
*akustischer
Widerstand
in dB*

3 dB

15 dB

Tiefe

Schnellster Weg zum Eis-Stand



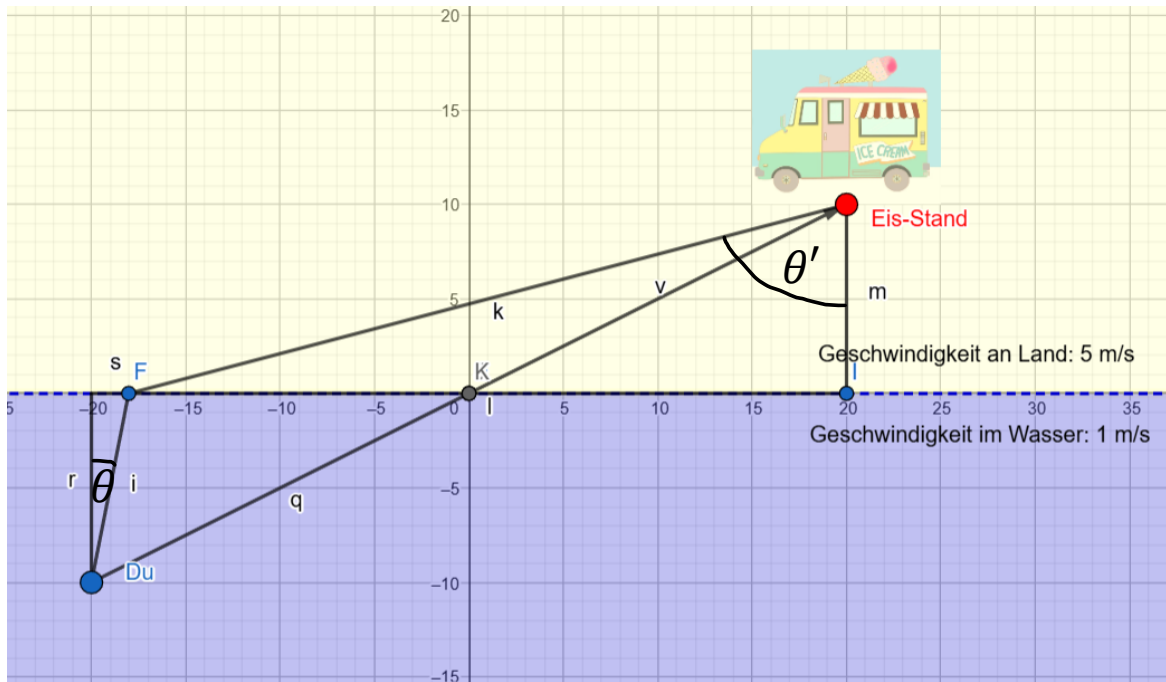
$$F = (x, 0)$$

$$t = \frac{s}{c}$$

$$\binom{x}{0} - \binom{-20}{0} = \binom{x+20}{0} \rightarrow x+20$$

$$t(x) = \frac{\sqrt{10^2 + (x+20)^2}}{1(=c_{Wasser})} + \frac{\sqrt{10^2 + (20-x)^2}}{5(=c_{Land})}$$

Herleitung Snell'sches Gesetz

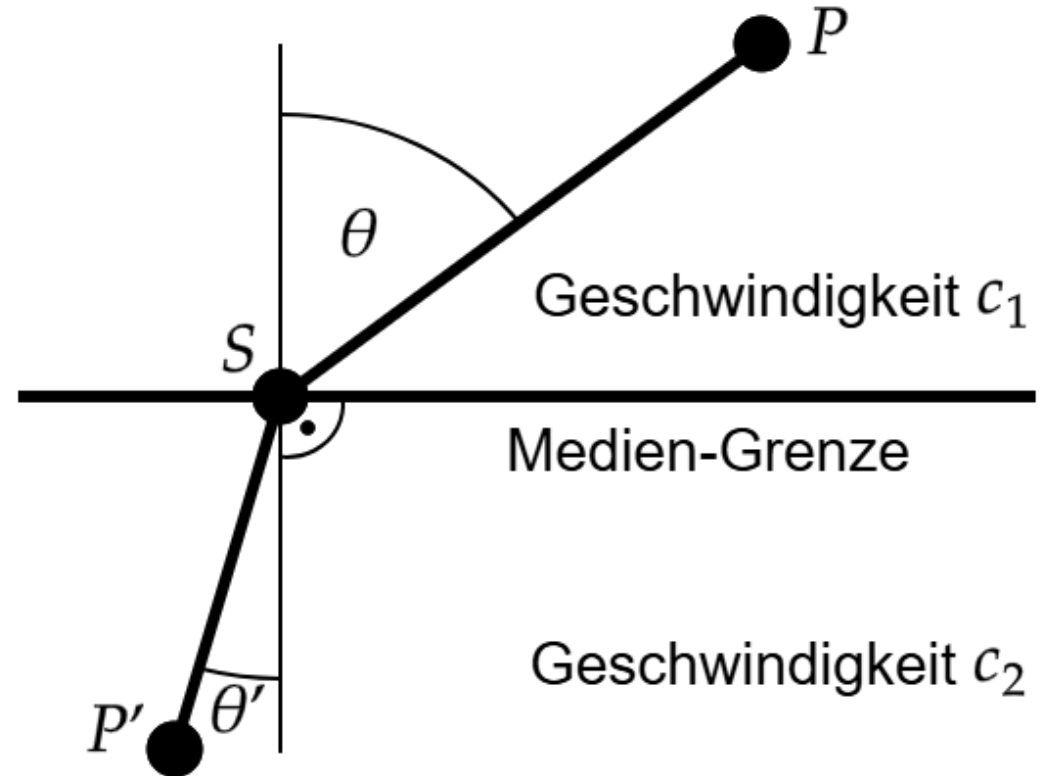


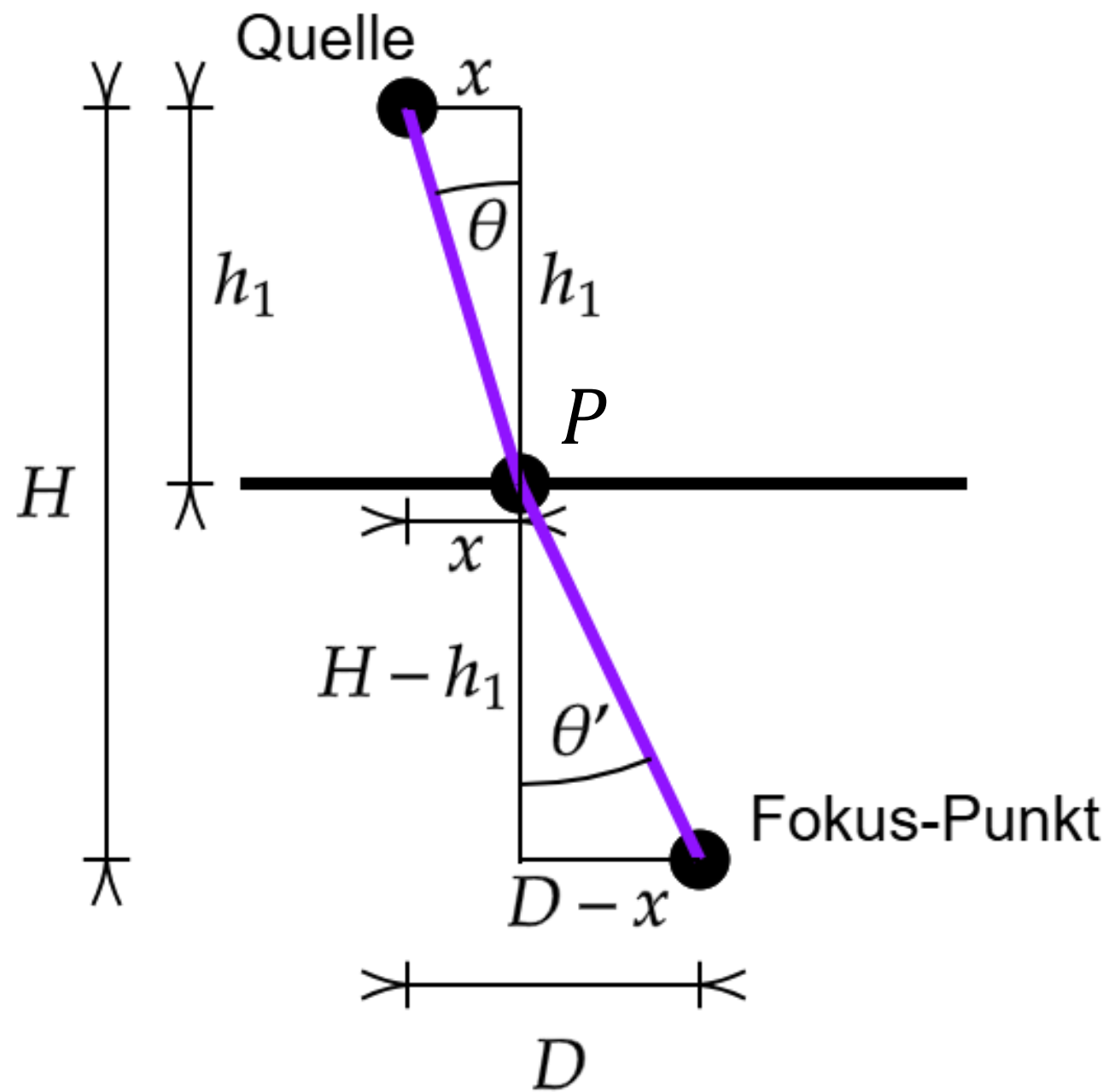
- $t'(x) = \frac{x+20}{\sqrt{10^2+(x+20)^2} \cdot c_1} - \frac{20-x}{\sqrt{10^2+(20-x)^2} \cdot c_2}$
- $\frac{x+20}{\sqrt{10^2+(x+20)^2}} = \sin(\theta)$
- $\frac{20-x}{\sqrt{10^2+(20-x)^2}} = \sin(\theta')$
- $t'(x) = 0$

Snell'sches Gesetz

- **Schnellesten Weg**

- $\frac{1}{c_1} * \sin(\theta) = \frac{1}{c_2} * \sin(\theta')$





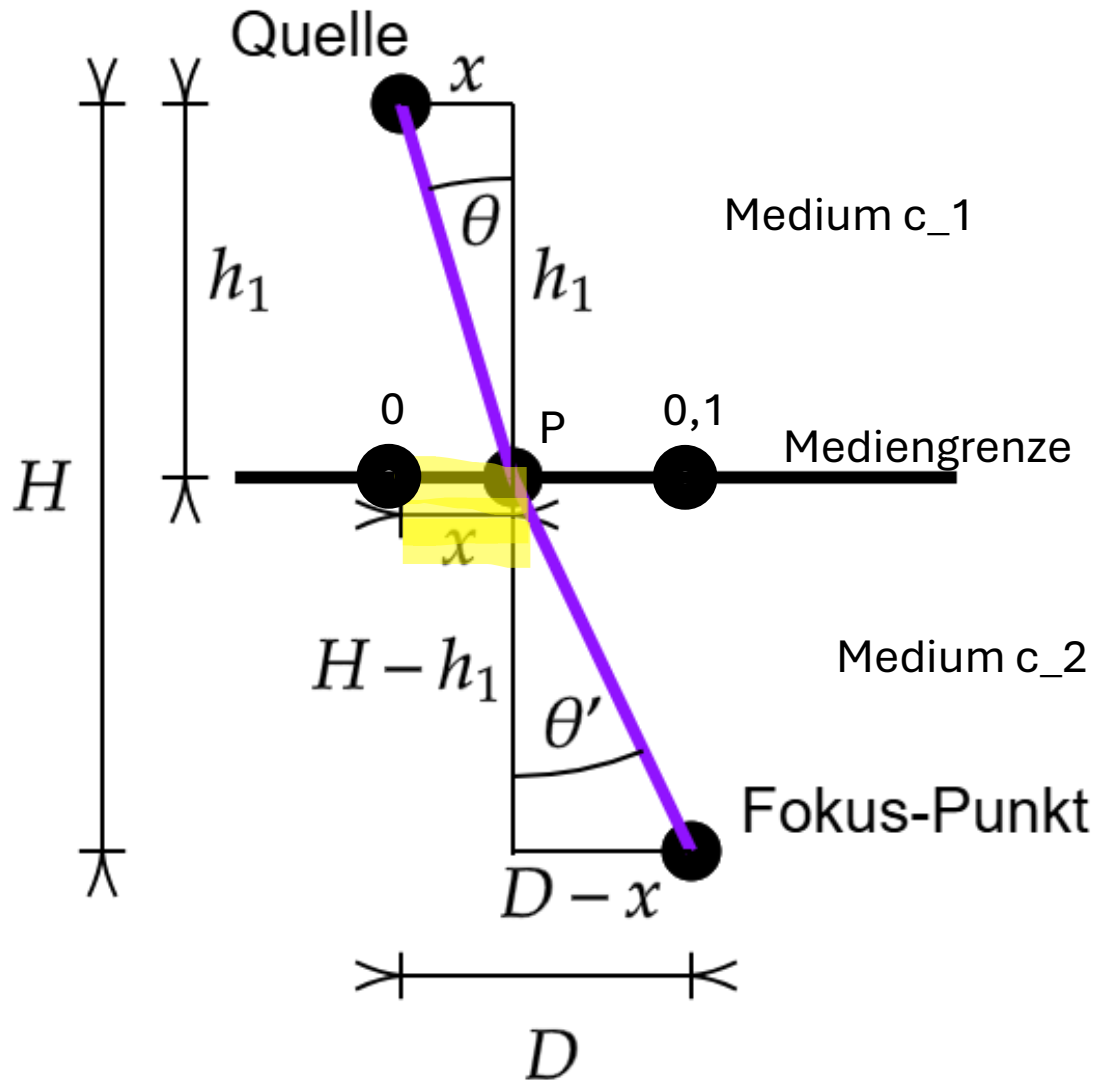
$$\frac{1}{c_1} * \sin \theta = \frac{1}{c_2} * \sin \theta'$$

$\Downarrow$

$$f(x) = ax^4 + bx^3 + cx^2 + dx + e$$

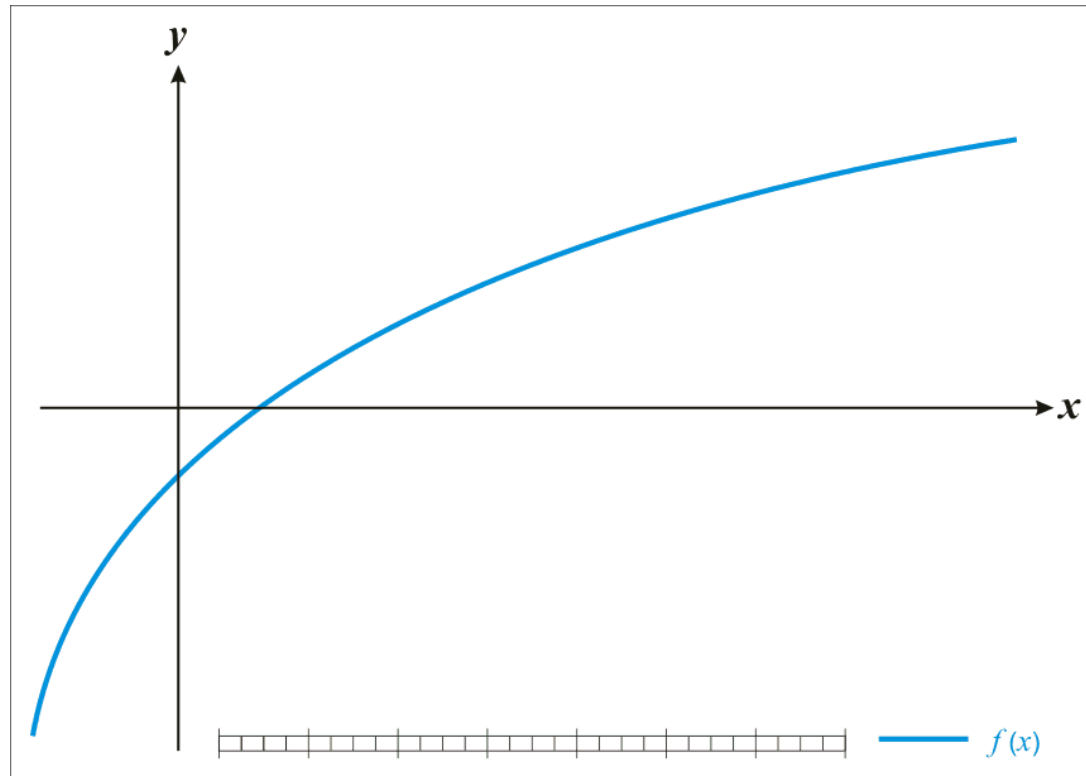
$$\text{Lösung: } f(x) = 0$$

Ziel: x finden

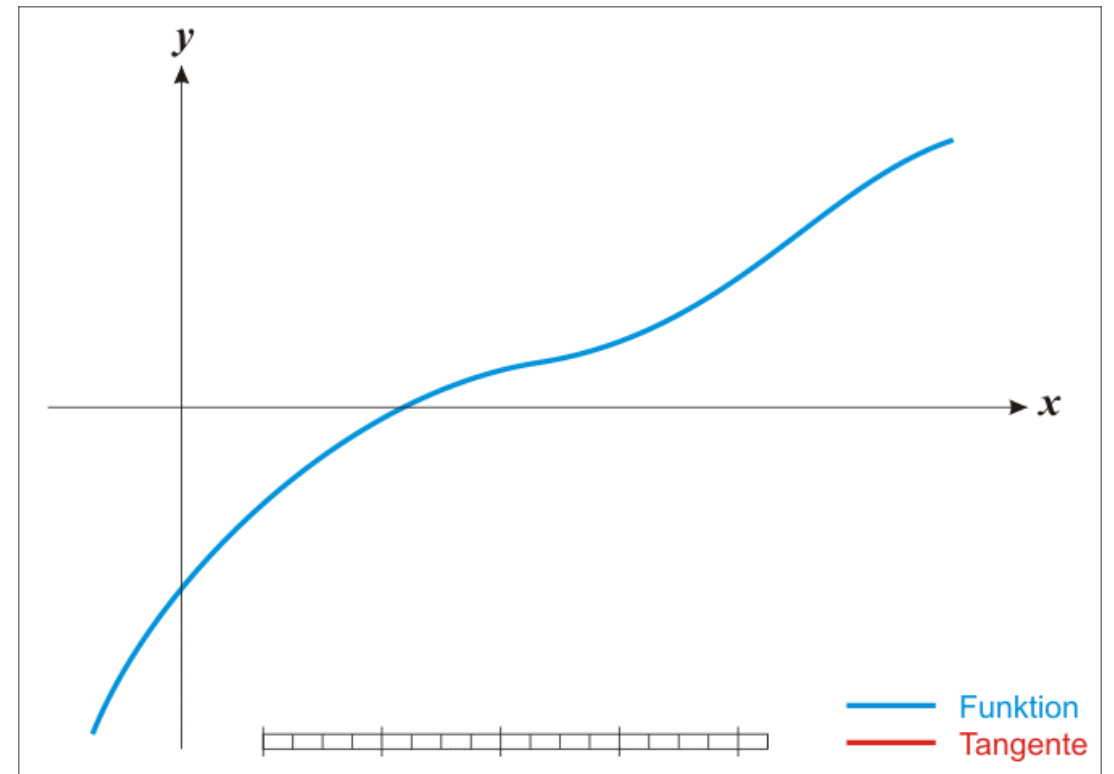


- Durch x kann der Punkt P bestimmt werden (Snellius)
- **Zwischenwertsatz:**
„Bei einer stetigen Funktion mit $f(0) > 0$ und $f(0.1) < 0$ gibt es sicher eine Nullstelle im Intervall $(0; 0.1)$ “

Bisektionsverfahren



Newton-Verfahren





Danke für eure Aufmerksamkeit